7.4 – 7.9 Review 2

1. Solve for *x*: b) $\frac{1}{2}\log_4(x+4) + \frac{1}{2}\log_4(x-4) = \log_4 3$ a) $\log_5 x + \log_8 x = 4$ $= 4 \left(\log (\log 5 + \log 8) = 4 \log 5 \log 8 \right) = \frac{1}{2} \left(\log_{4} (x + 4) + \log_{4} (x - 4) \right) = \log_{4} 3$ $\log_{4}[(x+4)(x+4)] = 2\log_{4} 3 \approx x^{2} - 16 = 9$ $\log_{4}[(x^{2}-16)] = \log_{4} 9 \qquad x^{2} = 25$ 1058/05×+1095/05× 1055/058=4/055/058 1055/058=4/055/058 c) $2^{3x} = 5^{3x+1}$ a) $3(2^{x+1}) = 6^x$ log [3(2x+1)] = xlog 6 3×/0g2=(3×+1)/0g5 log3 + log(2 x+1)=xlog6 (7 x=1056 3/092-3/055 3×laz = 3×log5+log5 1093 + (X+1) 1092 = x1096 3×105-3×1055=1055 log3 + xlog2 + log2 - xlog6 x (3/052-3/055)=/055 log3 - log2 = 21096-21092 2. Express $\log \frac{x^2}{10y^3}$ in terms of $\log x$ and $\log y$. $\log(\frac{3}{2}) = \chi(\log 6 - \log 2)$ 105x - 10510 - 109 Y = 2/05X-1-3/057

3. Determine the Richter scale reading for an earthquake that is 5 times more intense than another earthquake that measures 4.0 on the Richter scale.

10 = 5

 $10^{7} = 5 \cdot 10^{4}$ ×log10 = log (50000)

4. If $\log 5 = m$ and $\log 3 = n$, then what is $\log 135$ in terms of m and n?

 $\log 135$ $(35 + \log 3^{3}) = (m + 3r)$ = $\log (5 \times 3^{3}) = \log 5 + 3\log 3$

5. Determine the value of $\log_n(a^3b)$ if $\log_n a = 3$ and $\log_n b = 4$



6. Write $\log_2 x + \log_4 y$ as a single log.

 $\log_a x$

$$= \frac{l_{05}x}{l_{052}} + \frac{l_{05}y}{l_{054}} = \frac{2l_{05}x}{l_{054}} + \frac{l_{05}y}{l_{054}} = \frac{l_{09}x^{2} + l_{09}y}{l_{054}} = \frac{l_{09}x^{2} + l_{09}y}{l_{054}} = \frac{l_{09}x^{2}y}{l_{054}}$$

$$= \frac{2l_{05}x}{l_{05}y} + \frac{l_{05}y}{l_{054}} = \frac{2l_{05}x + l_{05}y}{l_{054}} = \frac{l_{09}x^{2}y}{l_{054}}$$

7. Simplify
$$\frac{\log_a x}{\log_a b x} - \frac{\log_a x}{\log_b x}$$

$$= \frac{\log x}{\log a} - \frac{\log x}{\log a} - \frac{\log x}{\log a} - \frac{\log ab}{\log a} - \frac{\log b}{\log a} - \frac{\log b}{\log a} - \frac{\log a}{\log a} - \frac{$$